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Appendices

A. Remarks on Fermat’s Last Theorem
   For those who only want to pretend to have read the rest of this book.

B. “The Devil and Simon Flagg”, by Arthur Porges
   The devil fails where Wiles will succeed.

C. “Math Riots Prove Fun Incalculable”, by Eric Zorn
   Is the FLT truly as important as sport?

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